

CS 4501/6501 Interpretable Machine Learning

Interpretations for improving model performance, robustness, fairness

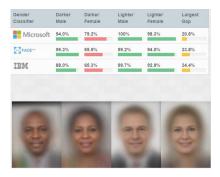
Hanjie Chen, Yangfeng Ji Department of Computer Science University of Virginia {hc9mx, yangfeng}@virginia.edu

Risks of black-box models

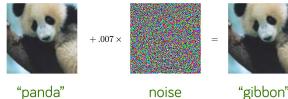
Unexpected failures



Bias and unfairness



Vulnerability



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57.7% confidence



99.3% confidence

Risks of black-box models \rightarrow Improving model interpretability

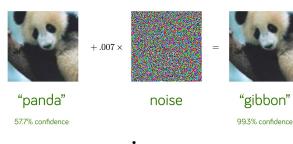
Unexpected failures



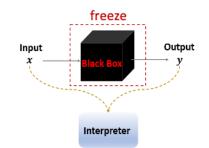
Bias and unfairness



Vulnerability



Post-hoc explanations



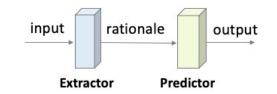
Improving intrinsic interpretability

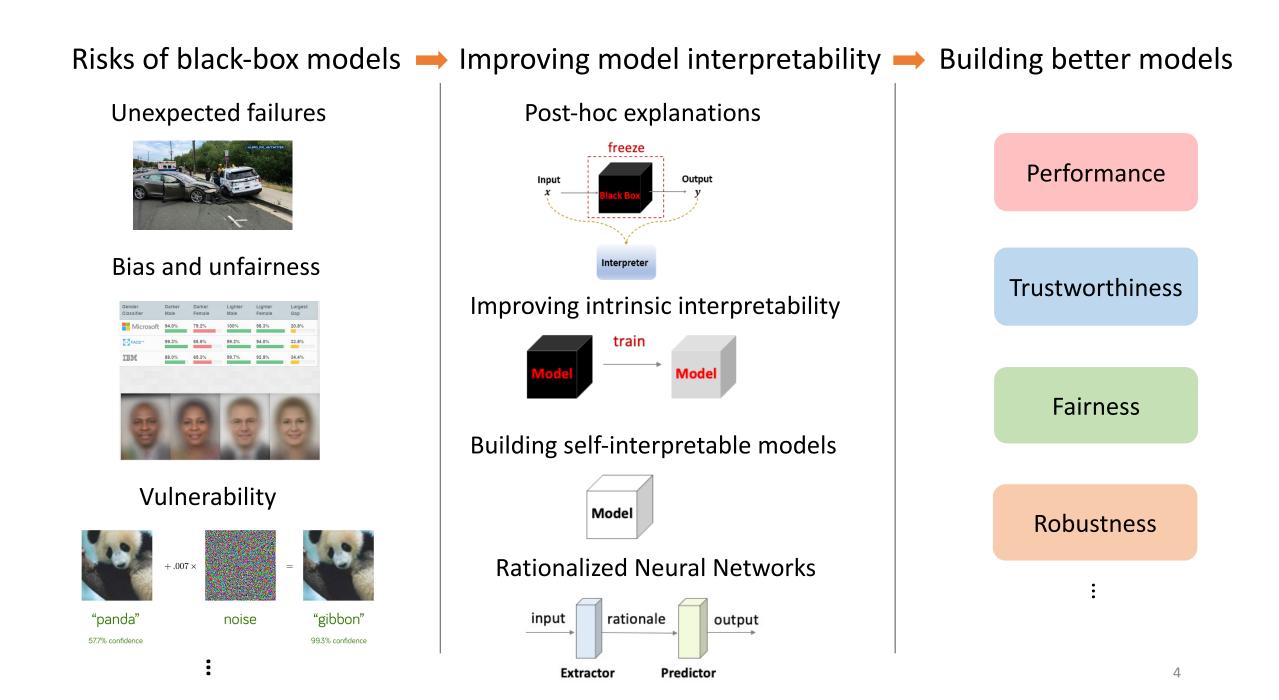


Building self-interpretable models

Model

Rationalized Neural Networks





Towards Interpreting and Mitigating Shortcut Learning Behavior of NLU Models

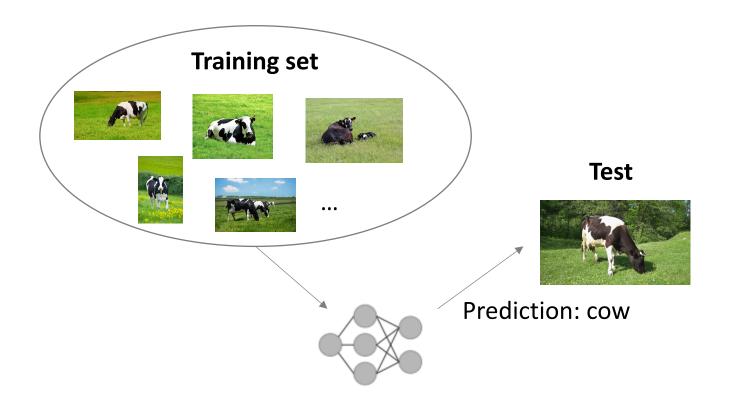
Mengnan Du, Varun Manjunatha, Rajiv Jain, Ruchi Deshpande, Franck Dernoncourt, Jiuxiang Gu, Tong Sun, Xia Hu

(NAACL, 2021)



Neural networks make correct predictions based on wrong reasons

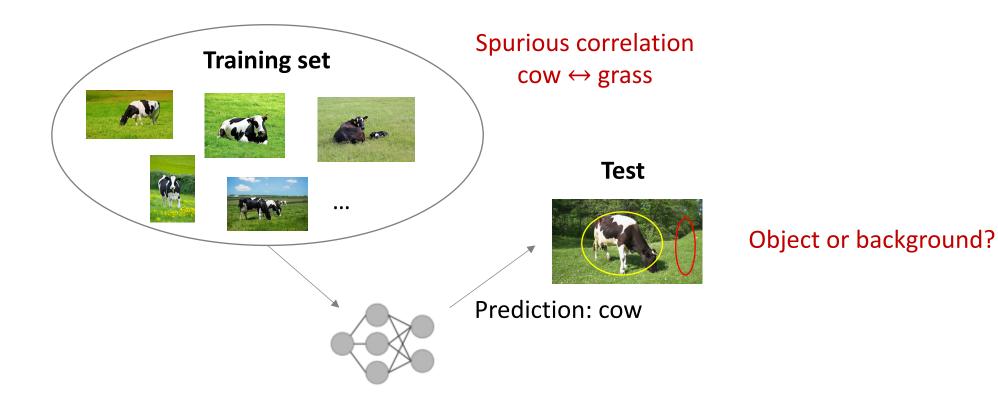
Failures under different circumstances





Neural networks make correct predictions based on wrong reasons

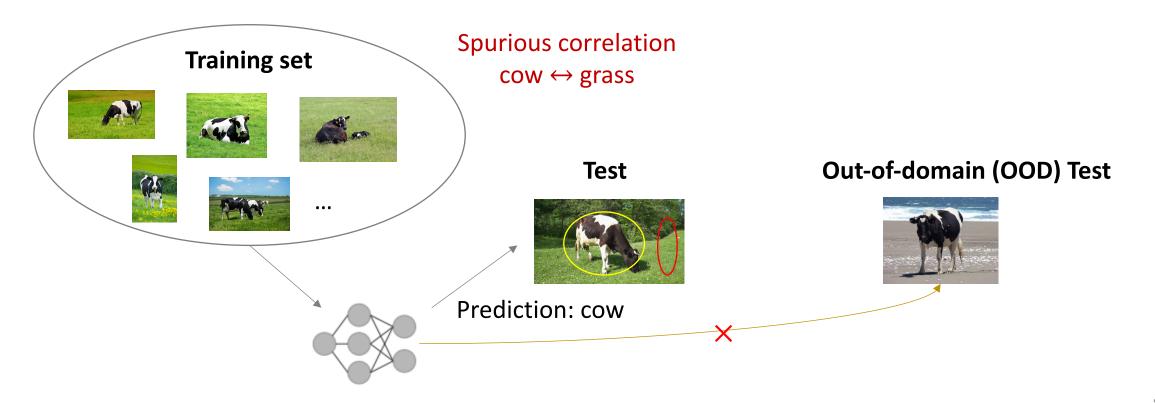
Failures under different circumstances





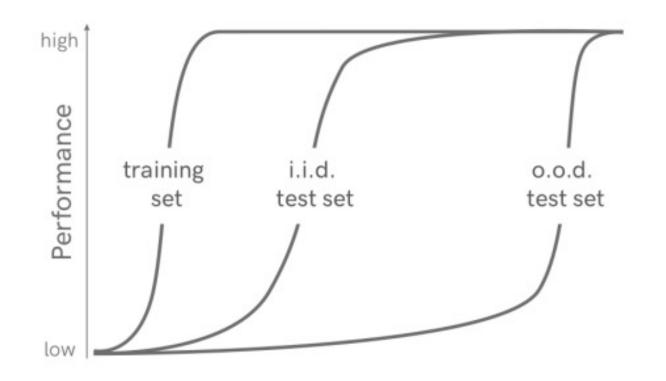
Neural networks make correct predictions based on wrong reasons

Failures under different circumstances



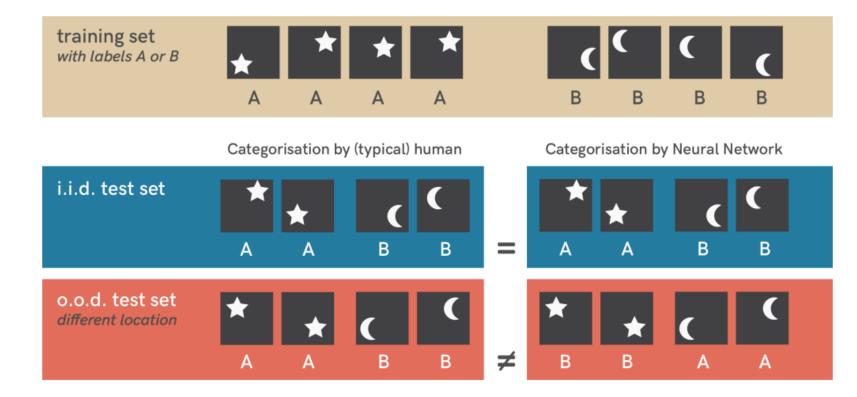
Shortcuts are decision rules that perform well on standard benchmarks but fail to transfer to more challenging testing conditions

[R. Geirhos, et al., 2020]



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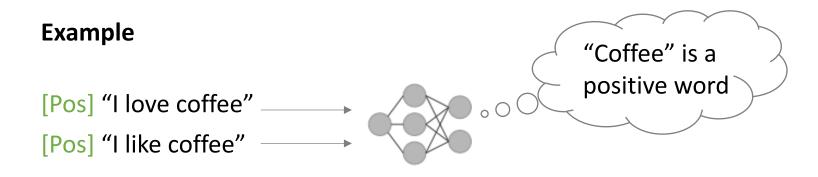


Decision rules:

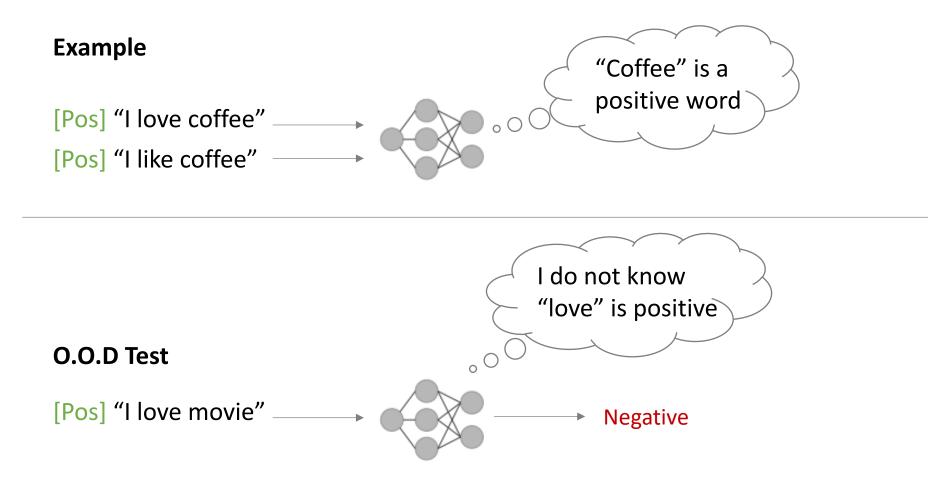
- by shape
- by counting the number of white pixels (moons are smaller than stars)

```
    by location
```

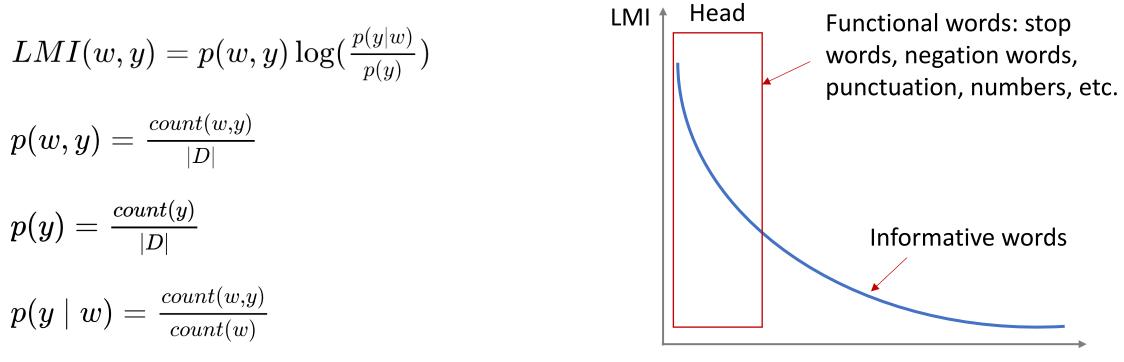
Shortcut features: high-frequency words associated with labels (lexical bias)



Shortcut features: high-frequency words associated with labels (lexical bias)



Local mutual information (LMI) [Schuster et al., 2019]



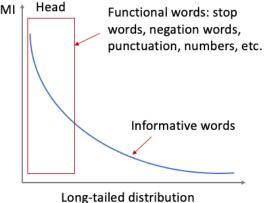
Long-tailed distribution

|D| is the number of occurrences of words in training set

Question?

Preference for features of high local mutual information (LMI)

• Dataset statistics



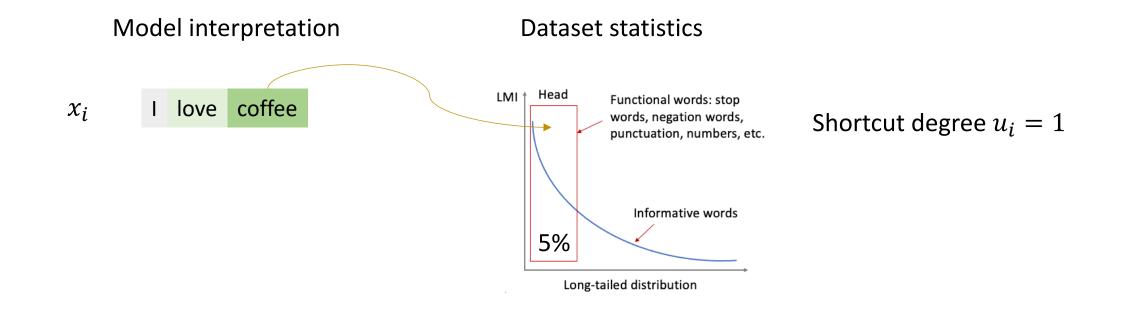
• Model Behavior

Post-hoc explanation method: IG

```
x_i \longrightarrow Feature attributions: g(x_i)
```

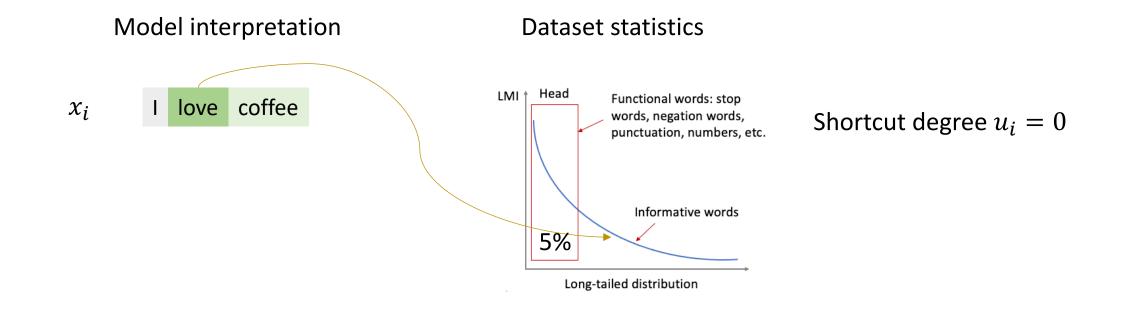
Preference for features of high local mutual information (LMI)

• Comparing Model and Dataset



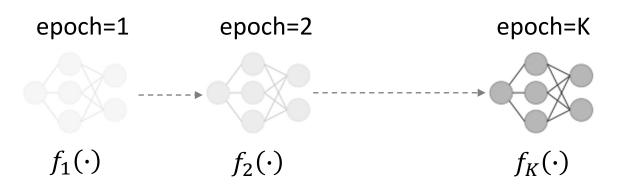
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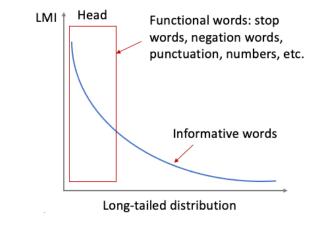
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Preference for features of high local mutual information (LMI)

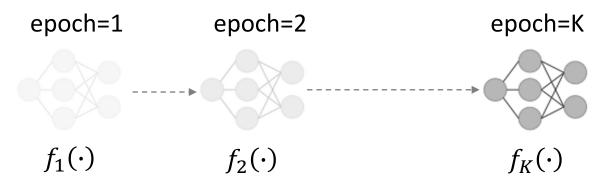
• Shortcuts features are learned first

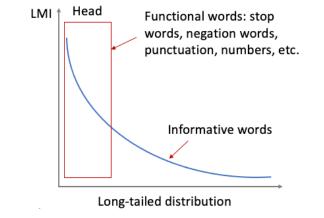




Preference for features of high local mutual information (LMI)

Shortcuts features are learned first





If $f_1(x_i) \neq f_K(x_i)$, x_i is a hard example

Shortcut degree $v_i = 0$

If $f_1(x_i) = f_K(x_i)$, x_i may contain shortcut features

Shortcut degree $v_i = cos\left(g(f_1(x_i)), g(f_K(x_i))\right)$ $cos(\cdot, \cdot)$: cosine similarity $g(f_1(x_i))$: IG explanation vector

Preference for features of high local mutual information (LMI)

• Shortcut degree measurement

$$b_i = norm(u_i + v_i)$$
 $b_i \in [0, 1]$
Data statistics Learning dynamics

Question?

LTGR (Long-Tailed distribution Guided Regularizer)

- Force the model to down-weight its reliance on shortcut features
- Encourage the model to shift its attention to more task-relevant features

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Smoothing Softmax

Biased teacher model
$$f_T$$
 Logit value Softmax value
 $x_i \longrightarrow \text{Teacher model}$ $z_i^T \qquad \sigma(z_i^T) = \left[\sigma(z_i^T)_1, \cdots, \sigma(z_i^T)_K\right]$
Smooth the original probability
 $s_i = \left[s_{i,1}, \cdots, s_{i,K}\right] \qquad s_{i,j} = \frac{\sigma(z_i^T)_j^{1-b_i}}{\sum_{k=1}^K \sigma(z_i^T)_k^{1-b_i}}$

LTGR (Long-Tailed distribution Guided Regularizer)

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Keep model from giving over-confident predictions for samples with large shortcut degree

LTGR (Long-Tailed distribution Guided Regularizer)

- Force the model to down-weight its reliance on shortcut features
- Encourage the model to shift its attention to more task-relevant features

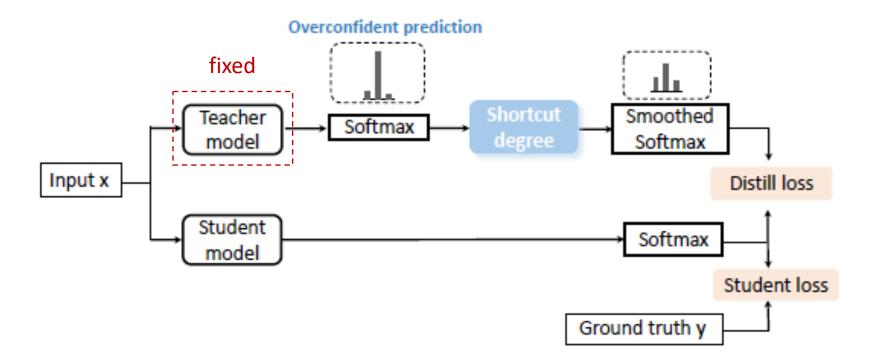
Self knowledge distillation

Utilize the smoothed probability output s_i from the teacher model to train a student model f_S

Unbiased student model
$$f_S$$
 same architecture
 x_i Student model $\sigma(z_i^S)$
 \ldots $\mathcal{L}_{loss} = (1 - \alpha)\mathcal{L}(y_i, \sigma(z_i^S)) + \alpha \mathcal{L}(s_i, \sigma(z_i^S))$

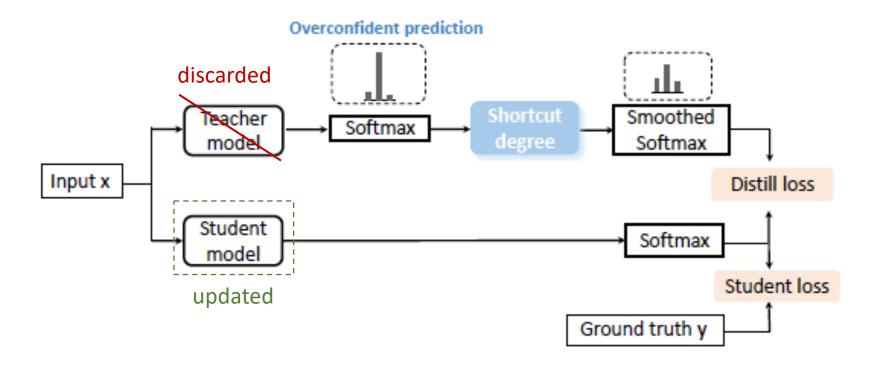
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Question?

Datasets

• FEVER [Thorne et al., 2018]

Task: infer the relationship of a claim and an evidence as "refute", "support" or "not enough information"

Adversarial sets: Symmetric v1 and v2 (Sym1 and Sym 2, Schuster et al., 2019), where a shortcut word appears in both support and refute label — Test model generalizability

Datasets

• FEVER [Thorne et al., 2018]

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Adversarial sets: Symmetric v1 and v2 (Sym1 and Sym 2, Schuster et al., 2019), where a shortcut word appears in both support and refute label \longrightarrow Test model generalizability

• MNLI [Williams et al., 2018]

Task: infer the relationship of a premise and a hypothesis as "entailment", "contradiction" or "neutral"

Adversarial sets: HANS (McCoy et al., 2019) and MNLI hard set (Gururangan et al., 2018)

Datasets

• MNLI-backdoor

Randomly select out 10% of the training samples with the entailment label and append the double quotation mark " to the beginning of the hypothesis

Adversarial sets: MNLI hard set (Gururangan et al., 2018), append the hypothesis of all samples with "

Models

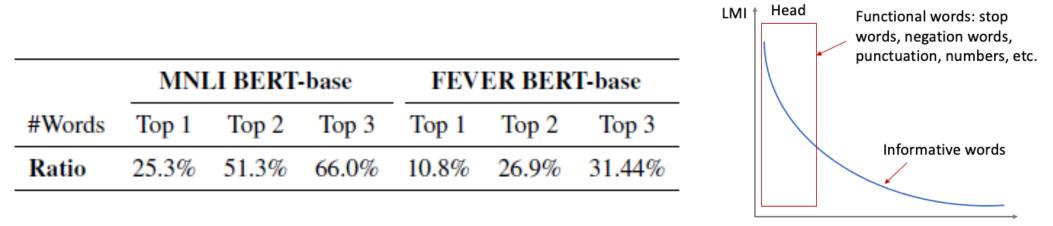
- BERT + bidirectional LSTM
- DistilBERT + bidirectional LSTM

- Models pay the highest attention to shortcut features
- Models only pay attention to one branch of the inputs

neutral (1.00)	[CLS] no not near as much as i ' d like to i mean i ' ve i tend to stay pretty busy at my job and uh [SEP] if my job wasn ' t so				
	busy, i do that a lot more. [SEP]				
entailment (0.67)	[CLS] equivalent to increasing national saving to 19. [SEP] national savings are 18 now. [SEP]				
	Sentence 1 Sentence 2				
contradiction	CLS] this factual record provided an important context for consideration of the legal question of the meaning of the				
(1.00)	presence requirement . [SEP] the record gave no context regarding the legal question . [SEP]				

• Preference for head of distribution

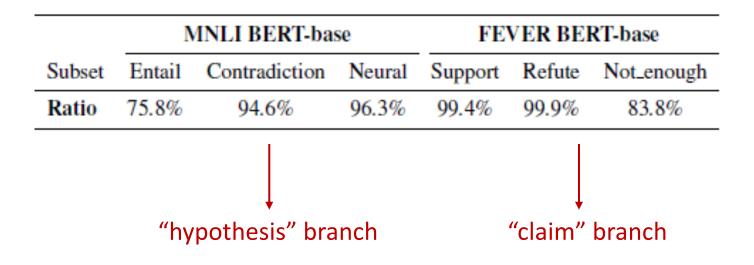
The ratio of the training samples with the largest integrated gradient words located in the 5% head of the long-tailed distributions



Long-tailed distribution

• Preference for one branch of input

The word with the largest integrated gradient value usually lies in one branch of input (e.g., "hypothesis" branch of MNLI)



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The word with the largest integrated gradient value usually lies in one branch of input (e.g., "hypothesis" branch of MNLI)

	MNLI BERT-base			FEVER BERT-base			
Subset	Entail	Contradiction	Neural	Support	Refute	Not_enough	
Ratio	75.8%	94.6%	96.3%	99.4%	99.9%	83.8%	
	"hypothesis" branch				"claim" branch		

Data artifacts: some common strategy and use a limited dictionary of words for annotation (e.g., negation words for contradiction)

Mitigation Performance Analysis

• Models that rely on shortcut features have decent performance for in-distribution data, but generalize poorly on other OOD data

	BI	ERT bas	e	DistilBERT			
Models	FEVER	Sym1	Sym2	FEVER	Sym1	Sym2	
Original	85.10	54.01	62.40	85.57	54.95	62.35	
Reweighting	84.32	56.37	64.89	84.76	56.28	63.97	
Product-of-expert	82.35	58.09	64.27	85.10	56.82	64.17	
Order-changes	81.20	55.36	64.29	82.86	55.32	63.95	
LTGR	85.46	57.88	65.03	86.19	56.49	64.33	

Mitigation Performance Analysis

- Models that rely on shortcut features have decent performance for in-distribution data, but generalize poorly on other OOD data
- LTGR does not sacrifice in-distribution test accuracy, while improves the OOD generalization accuracy

BI	ERT bas	e	DistilBERT			
FEVER	Sym1	Sym2	FEVER	Sym1	Sym2	
85.10	54.01	62.40	85.57	54.95	62.35	
84.32	56.37	64.89	84.76	56.28	63.97	
82.35	58.09	64.27	85.10	56.82	64.17	
81.20	55.36	64.29	82.86	55.32	63.95	
85.46	57.88	65.03	86.19	56.49	64.33	
	FEVER 85.10 84.32 82.35 81.20	FEVERSym185.1054.0184.3256.3782.3558.0981.2055.36	FEVERSym1Sym285.1054.0162.4084.3256.3764.8982.3558.0964.2781.2055.3664.29	FEVERSym1Sym2FEVER85.1054.0162.4085.5784.3256.3764.8984.7682.3558.0964.2785.1081.2055.3664.2982.86	FEVERSym1Sym2FEVERSym185.1054.0162.4085.5754.9584.3256.3764.8984.7656.2882.3558.0964.2785.1056.8281.2055.3664.2982.8655.32	

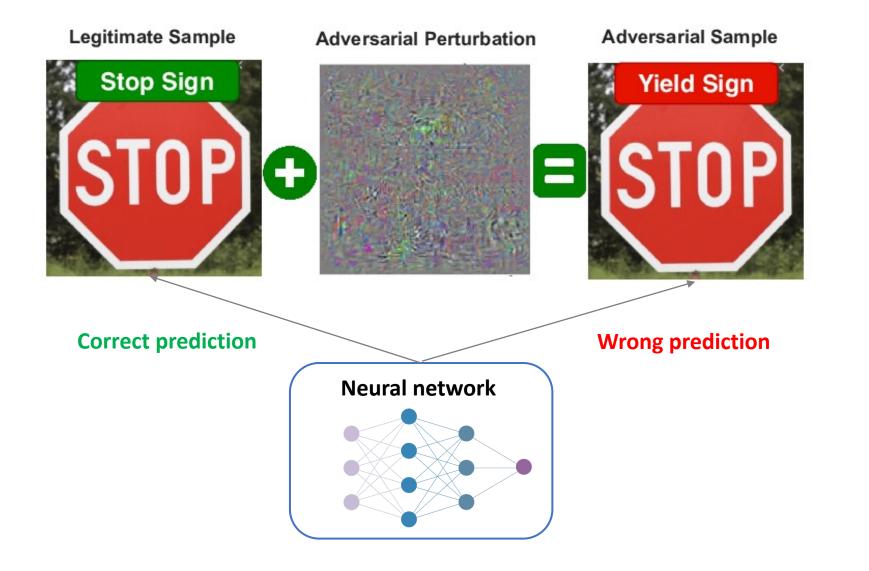
Question?

Adversarial Training for Improving Model Robustness? Look at Both Prediction and Interpretation

Hanjie Chen, Yangfeng Ji

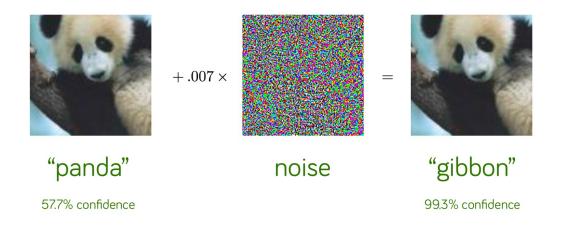
(AAAI, 2022)

Vulnerability to Adversarial Attacks



Adversarial Examples

- Inputs formed by applying small but intentionally worst-case perturbations to examples from the dataset [Goodfellow et al., 2015]
- Similar to original examples
- Fool the model to output wrong predictions



Neural language models are vulnerable to adversarial attacks

• Natural language inference

Original prediction: Entailment

Premise: A runner wearing purple strives for the finish line

Hypothesis: A runner wants to head for the finish line

Adversarial prediction: Contradiction

Premise: A runner wearing purple strives for the finish line

Hypothesis: A racer wants to head for the finish line

• Question answering

Paragraph: The largest portion of the Huguenots to settle in the Cape arrived between 1688 and 1689...but quite a few arrived as late as **1700**; thereafter, the numbers declined.

Question: The number of new Huguenot colonists declined after what year?

Original prediction: 1700

• Question answering

Paragraph: The largest portion of the Huguenots to settle in the Cape arrived between 1688 and 1689...but quite a few arrived as late as **1700**; thereafter, the numbers declined. The number of old Acadian colonists declined after the year of **1675**.

Question: The number of new Huguenot colonists declined after what year?

Original prediction: 1700

Prediction under adversary: 1675

• Sentiment classification

Original text: *This interesting* **movie**...

Adversarial text: This interesting movia...

Original prediction: positive

Prediction under adversary: negative

• Sentence-level

(adding additional sentences, paraphrasing)

• Word-level

(substituting synonyms, adding/removing/swapping words)

• Character-level

(typos)

٠

...

• Malicious triggers

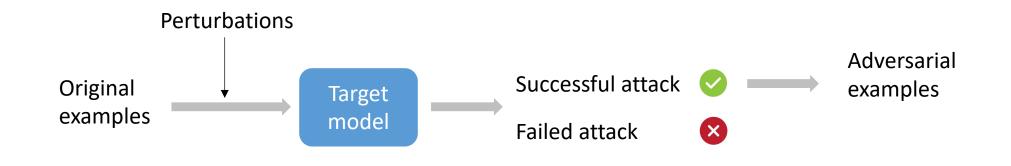
(input-agnostic sequences of tokens)

✓ Maintain the original semantic meaning and lexical and grammatical correctness

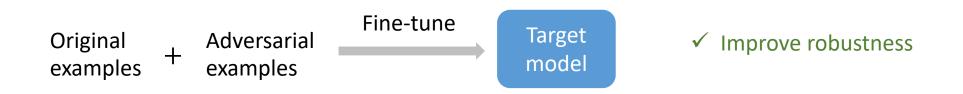
Adversarial Training



Collecting adversarial examples



2 Fine-tuning the model



Adversarial Training

Training objective: making the model produce the same and correct predictions on original/adversarial examples

Model prediction behaviors are consistent on original/adversarial example pairs?

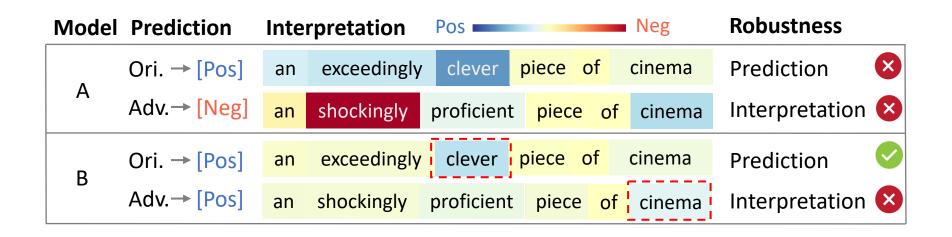
Model Interpretation

- We utilize IG and LIME to analyze model prediction behavior
- Consistent model interpretations on original/adversarial examples indicate robust predictions

Prediction		Interpretation						
Ori. → [Pos]	an	exceedingly	clever	piece	of	cinema		
Adv.→ [Pos]	an	shockingly	proficient	piece	e of	cinema		

Problem

Traditional adversarial training ignores the consistency between model decision-makings on original/adversarial example pairs



Problem

Correct predictions cannot guarantee model robustness

Mode	Prediction	Interpretation Pos Ne	g Robustness
В	Ori. → [Pos]	an exceedingly clever piece of cine	ema Prediction
	Adv.→ [Pos]	an shockingly proficient piece of cir	nema Interpretation 😣
			Attack B
В	Ori. → [Neg]	an exceedingly dull piece of cine	ema Prediction 😣
	Adv.→ [Pos]	an shockingly pesky piece of cir	nema Interpretation 😣

Motivation

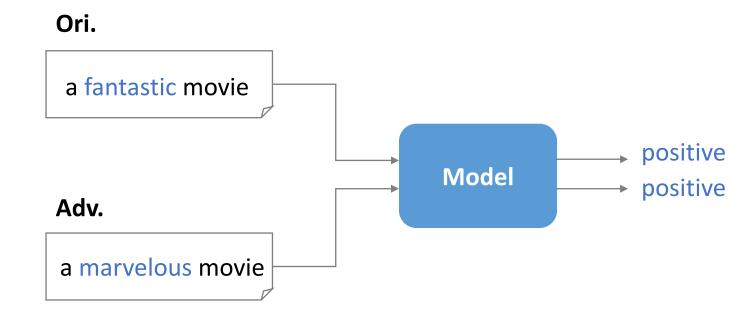
Robust model

- Consistent prediction behaviors on original/adversarial example pairs
- Making the same predictions (what) based on the same reasons (how) (consistent interpretations)

Mode	l Prediction	Inter	pretation	Pos		Neg	Robustness
	Ori. → [Pos]	an	exceedingly	clever	piece of	cinema	Prediction
	Adv.→ [Pos]	an	shockingly proficient piece of cinem		cinema	Interpretation 📀	
C	Ori. → [Neg]	an	exceedingly	dull	piece of	cinema	Prediction 🥝
	Adv.→ [Neg]	an	shockingly	pesky	piece of	f cinema	Interpretation 🤡

Question?

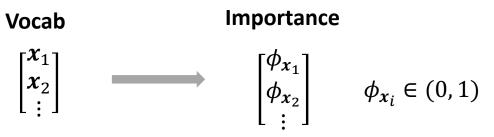
Teach the model to make the same and correct predictions on an original/adversarial example pair based on the corresponding important words



Two desiderata for FLAT

• Global feature importance scores $\boldsymbol{\phi}$:

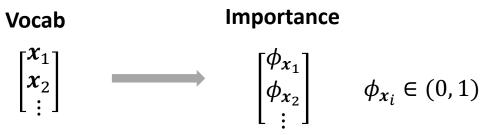
teach the model to recognize the replaced words in an original example and their substitutions in the adversarial counterpart as the same important (or unimportant) for predictions



Two desiderata for FLAT

• Global feature importance scores **φ**:

teach the model to recognize the replaced words in an original example and their substitutions in the adversarial counterpart as the same important (or unimportant) for predictions



• Feature selection function $g_{\phi}(\cdot)$

guide the model to make predictions based on the corresponding important words in the original and adversarial example respectively

$$x \longrightarrow g_{\phi}(x)$$

Objective

$$\min_{\boldsymbol{\phi},\boldsymbol{\theta}} \mathcal{L}_{pred} + \gamma \mathcal{L}_{imp}$$

$$\mathcal{L}_{pred} = \mathbb{E}_{(\boldsymbol{x},\boldsymbol{y})\sim\mathcal{D}} \left[\mathcal{L}\left(f_{\boldsymbol{\theta}}\left(g_{\boldsymbol{\phi}}(\boldsymbol{x}) \right), \boldsymbol{y} \right) \right] + \mathbb{E}_{(\boldsymbol{x}',\boldsymbol{y})\sim\mathcal{D}'} \left[\mathcal{L}\left(f_{\boldsymbol{\theta}}\left(g_{\boldsymbol{\phi}}(\boldsymbol{x}') \right), \boldsymbol{y} \right) \right]$$

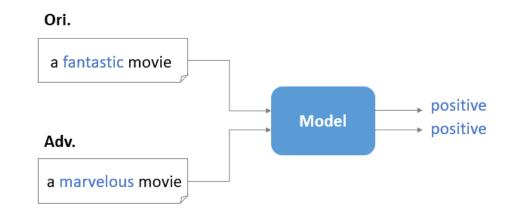
$$\mathcal{L}_{imp} = \mathbb{E}_{(\mathbf{x},\mathbf{x}')\sim\mathcal{D}\cup\mathcal{D}'}\left[\sum_{i, \mathbf{x}_i\neq\mathbf{x}_i'} |\phi_{\mathbf{x}_i} - \phi_{\mathbf{x}_i'}|\right]$$

 $\mathcal{L}(\cdot, \cdot)$: cross entropy loss

 $\mathcal{L}(\cdot, \cdot)$: cross entropy loss

x: original example

x': adversarial example



Objective

$$\min_{\boldsymbol{\phi},\boldsymbol{\theta}} \mathcal{L}_{pred} + \gamma \mathcal{L}_{imp}$$

$$\mathcal{L}_{pred}$$

$$= \mathbb{E}_{(x,y)\sim\mathcal{D}} \left[\mathcal{L} \left(f_{\theta} \left(g_{\phi}(x) \right), y \right) \right] + \mathbb{E}_{(x',y)\sim\mathcal{D}'} \left[\mathcal{L} \left(f_{\theta} \left(g_{\phi}(x') \right), y \right) \right]$$

$$\mathbf{Adv.}$$

$$\mathcal{L}_{imp} = \mathbb{E}_{(x,x')\sim\mathcal{D}\cup\mathcal{D}'} \left[\sum_{i, x_i \neq x_i'} |\phi_{x_i} - \phi_{x_i'}| \right]$$

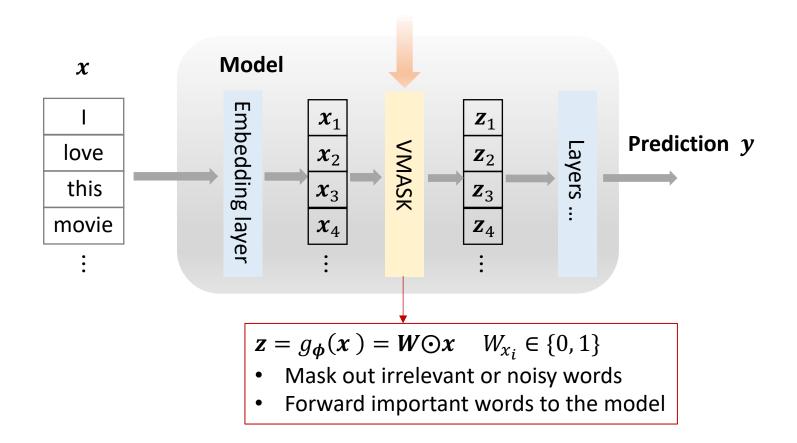
$$\mathcal{L}(\cdot, \cdot): \text{ cross entropy loss}$$

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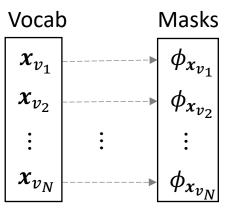
$$\mathbf{x}: \text{ original example}$$

$$\mathbf{x}': \text{ adversarial example}$$

Learning with variational word masks (VMASK)



Training stage

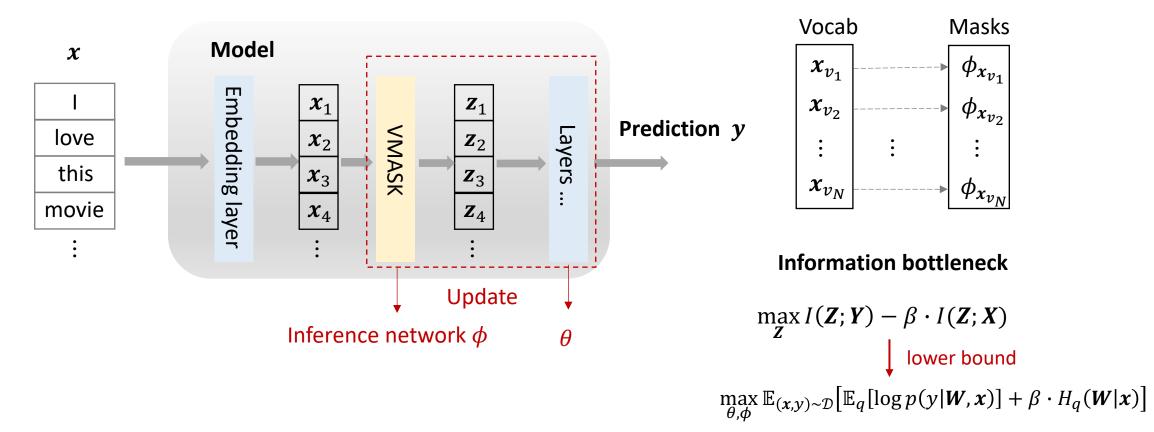


 ϕ_{x_i} : global word importance

W_{xi}~Bernoulli(φ_{xi})
 z_i = W_{xi} · x_i, W_{xi} ∈ {0, 1}

Hanjie Chen and Yangfeng Ji. "Learning variational word masks to improve the interpretability of neural text classifiers." *EMNLP*, 2020

Learning with variational word masks (VMASK)



Training stage

Hanjie Chen and Yangfeng Ji. "Learning variational word masks to improve the interpretability of neural text classifiers." *EMNLP*, 2020

Objective

$$\min_{\boldsymbol{\phi},\boldsymbol{\theta}} \mathcal{L}_{pred} + \gamma \mathcal{L}_{imp}$$

 $\mathcal{L}_{pred} = \mathbb{E}_{(\boldsymbol{x}, \boldsymbol{y}) \sim \mathcal{D}} \Big[\mathbb{E}_{q} [\mathcal{L}(f_{\boldsymbol{\theta}}(\boldsymbol{W} \odot \boldsymbol{x}), \boldsymbol{y})] - \beta \cdot H_{q}(\boldsymbol{W} | \boldsymbol{x}) \Big] + \mathbb{E}_{(\boldsymbol{x}', \boldsymbol{y}) \sim \mathcal{D}'} \Big[\mathbb{E}_{q'} [\mathcal{L}(f_{\boldsymbol{\theta}}(\boldsymbol{W}' \odot \boldsymbol{x}'), \boldsymbol{y})] - \beta \cdot H_{q}(\boldsymbol{W}' | \boldsymbol{x}') \Big]$

$$\mathcal{L}_{imp} = \mathbb{E}_{(x,x') \sim \mathcal{D} \cup \mathcal{D}'} \left[\sum_{i, x_i \neq x_i'} |\phi_{x_i} - \phi_{x_i'}| \right]$$

 $\mathcal{L}(\cdot,\cdot)$: cross entropy loss, $H_q(\cdot \mid \cdot)$: conditional entropy

 $q = q_{\phi}(W|x)$ and $q' = q'_{\phi}(W'|x')$ denote the distributions of word masks on the original example x and adversarial example x' respectively

Objective

$$\min_{\boldsymbol{\phi},\boldsymbol{\theta}} \mathcal{L}_{pred} + \gamma \mathcal{L}_{imp}$$

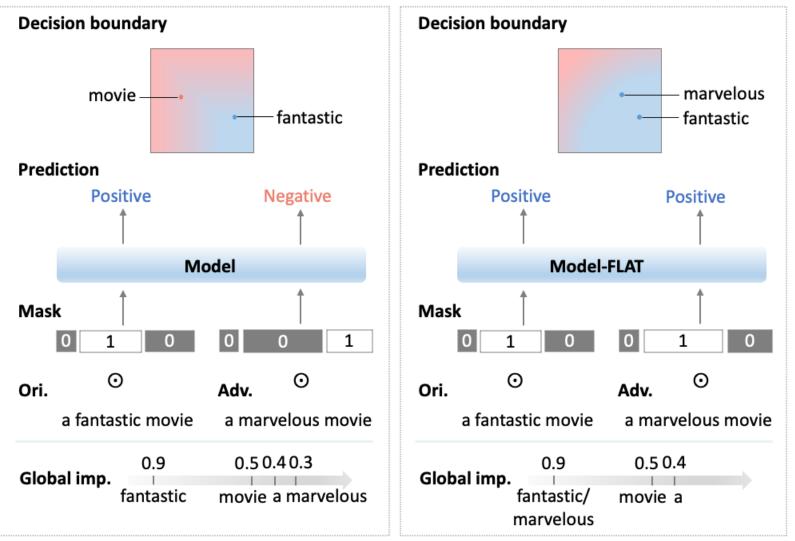
 $\mathcal{L}_{pred} = \mathbb{E}_{(\boldsymbol{x}, \boldsymbol{y}) \sim \mathcal{D}} \Big[\mathbb{E}_{q} [\mathcal{L}(f_{\boldsymbol{\theta}}(\boldsymbol{W} \odot \boldsymbol{x}), \boldsymbol{y})] - \beta \cdot H_{q}(\boldsymbol{W} | \boldsymbol{x}) \Big] + \mathbb{E}_{(\boldsymbol{x}', \boldsymbol{y}) \sim \mathcal{D}'} \Big[\mathbb{E}_{q'} [\mathcal{L}(f_{\boldsymbol{\theta}}(\boldsymbol{W}' \odot \boldsymbol{x}'), \boldsymbol{y})] - \beta \cdot H_{q}(\boldsymbol{W}' | \boldsymbol{x}') \Big]$

$$\mathcal{L}_{imp} = \mathbb{E}_{(x,x') \sim \mathcal{D} \cup \mathcal{D}'} \left[\sum_{i, x_i \neq x_i'} |\phi_{x_i} - \phi_{x_i'}| \right]$$

 $\mathcal{L}(\cdot, \cdot)$: cross entropy loss, $H_q(\cdot | \cdot)$: conditional entropy

 $q = q_{\phi}(W|x)$ and $q' = q'_{\phi}(W'|x')$ denote the distributions of word masks on the original example x and adversarial example x' respectively

ConnectionFLAT degrades to traditional adversarialtraining when W = 1 and $\gamma = 0$



Experimental Setup

Models

- Recurrent neural network [Hochreiter and Schmidhuber 1997, LSTM]
- Convolutional neural network [Kim 2014, CNN]
- BERT [Devlin et al., 2019]
- DeBERTa [He et al., 2021]

Datasets

- IMDB [Maas et al., 2011]
- SST-2 [Socher et al., 2013]
- AG News (AG) [Zhang et al.,2015]
- TREC [Li and Roth, 2002]

Attacks

(TextAttack benchmark [Morris et al. 2020])

- Textfooler [Jin et al. 2020]
- PWWS [Ren et al. 2019]

Experiments

Prediction accuracy (%) on standard test sets

Models	SST2	IMDB	AG	TREC
LSTM-base	84.40	88.03	91.08	90.80
LSTM-adv(Textfooler)	82.32	88.79	90.29	87.60
LSTM-adv(PWWS)	82.59	88.37	91.16	89.60
LSTM-FLAT (Textfooler)	84.79	89.17	91.00	91.00
LSTM-FLAT (PWWS)	83.69	88.52	91.37	91.20
CNN-base	84.18	88.63	91.32	91.20
CNN-adv(Textfooler)	82.15	88.81	90.99	89.20
CNN-adv(PWWS)	83.42	88.89	91.30	90.00
CNN-FLAT (Textfooler)	83.09	88.89	91.64	89.20
CNN-FLAT (PWWS)	83.31	88.99	91.03	89.20
BERT-base	91.32	91.71	93.59	97.40
BERT-adv(Textfooler)	91.38	92.50	90.30	96.00
BERT-adv(PWWS)	90.88	93.14	93.38	95.20
BERT-FLAT (Textfooler)	91.54	92.78	94.07	96.20
BERT-FLAT (PWWS)	91.05	93.11	93.09	96.60
DeBERTa-base	94.18	93.80	93.62	96.40
DeBERTa-adv(Textfooler)	94.40	92.86	92.84	95.60
DeBERTa-adv(PWWS)	94.78	94.17	92.96	96.40
DeBERTa-FLAT (Textfooler)	94.29	94.29	94.29	96.40
DeBERTa-FLAT (PWWS)	94.12	94.26	93.82	96.40

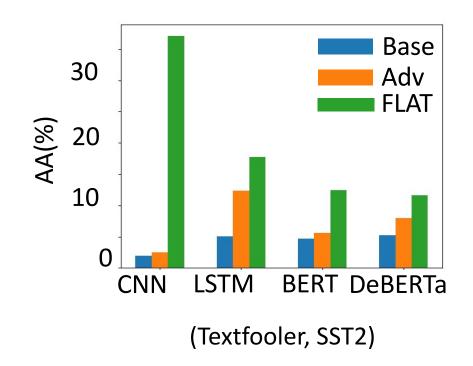
"-base": the base model trained on the clean data "-adv": the model trained via traditional adversarial training "-FLAT": the model trained via FLAT

 Adversarial training ("adv" and "FLAT") does not hurt model performance on clean data, and even improves prediction accuracy in some cases



Prediction robustness

After-attack accuracy (AA): model prediction accuracy on adversarial examples



- Adversarial training improves model prediction robustness
- ✓ FLAT consistently outperforms traditional adversarial training

Experiments

Interpretation Consistency

- Post-hoc interpretations: IG, LIME
- Kendall's Tau order rank correlation (KT): overall rankings of word attributions between different interpretations

Ori. \rightarrow [Pos]

Adv.→ [Pos]

• Top-k intersection (TI): the proportion of intersection of top k important features identified by different interpretations [Chen et al. 2019; Ghorbani et al. 2019, Boopathy et al. 2020]

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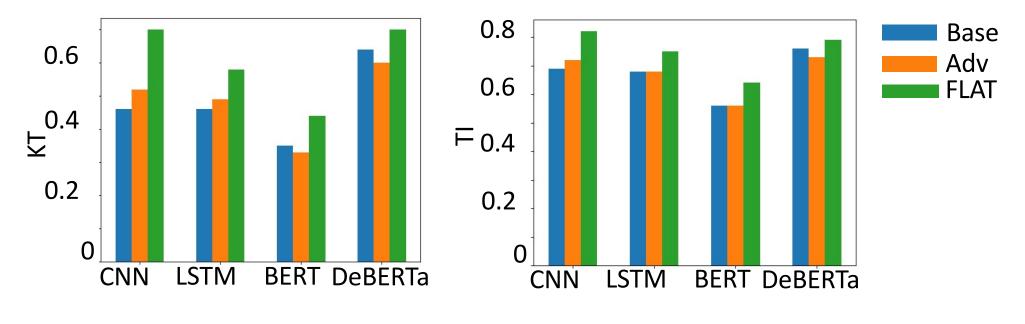
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(Textfooler, SST2)

Experiments

Interpretation Consistency

- Post-hoc interpretations: IG, LIME
- Kendall's Tau order rank correlation (KT): overall rankings of word attributions between different interpretations

Ori. \rightarrow [Pos]

 $Adv \rightarrow Pos$

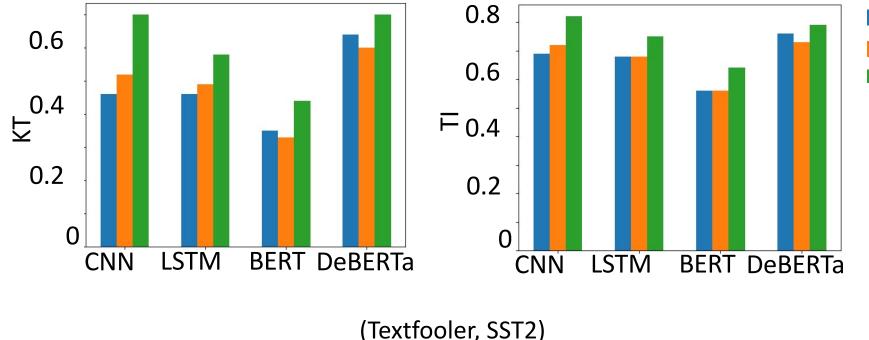
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• Top-k intersection (TI): the proportion of intersection of top k important features identified by different interpretations [Chen et al. 2019; Ghorbani et al. 2019, Boopathy et al. 2020]



Base Adv FLAT

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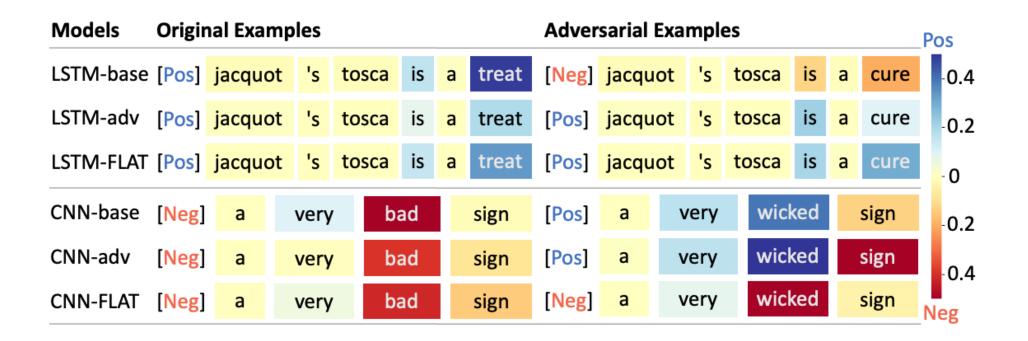
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- Traditional adversarial training cannot guarantee model robustness regarding interpretation discrepancy
- ✓ FLAT consistently improves model interpretation consistency



Visualization of interpretations

Both LSTM-FLAT and CNN-FLAT correctly predict the original/adversarial example pairs with consistent interpretations



Experiments

Transferability of model robustness

Test with six unforeseen adversarial attacks: PWWS [Ren et al. 2019], Gene [Alzantot et al. 2018], IGA [Wang et al. 2019], PSO [Zang et al. 2020], Clare [Li et al. 2021], and BAE [Garg and Ramakrishnan 2020]

Models	PWWS	Gene	IGA	PSO	Clare	BAE
LSTM-base	11.64	20.26	9.83		3.02	36.52
LSTM-adv	15.38	25.65	17.02		3.90	36.35
LSTM-FLAT	20.48	33.44	24.22		5.55	39.87
CNN-base	8.29	20.32		5.60	1.48	37.12
CNN-adv	8.68	16.42		5.60	1.04	35.48
CNN-FLAT	42.56	55.02		10.38	17.57	48.38
BERT-base	11.70	32.24	9.72	6.26	0.86	35.31
BERT-adv	13.01	34.49	10.87	6.64	1.04	36.74
BERT-FLAT	15.93	35.31	15.93	9.50	5.29	37.56
DeBERTa-base DeBERTa-adv DeBERTa-FLAT	14.17 17.52 21.80	37.18	12.19 12.85 28.17		0.55 1.07 1.37	38.61 40.14 44.54

 The models trained via FLAT show better robustness than baseline models across different attacks

Question?

Reference

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